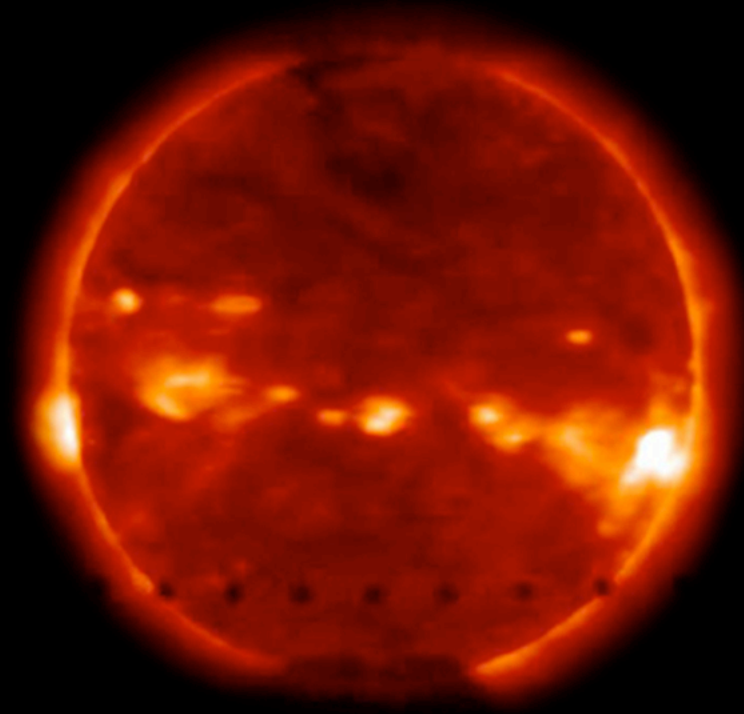
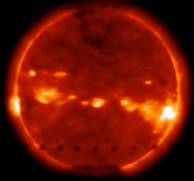


Simulating stellar micro-variability (for BT2 and other purposes)

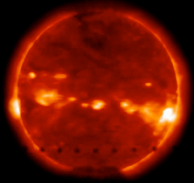


S. Aigrain (IoA, Cambridge)
A. Lanza (INAF, Catania)



Until now

- 2 parallel modelling activities
 - *Rotational modulation* model (Lanza et al. 2003, 2004)
 - *Stochastic variations* model (Aigrain et al. 2004)
- Both based on *fits to solar TSI* and extrapolations using *empirical scaling laws*
- Both used in BT1 (Moutou et al. 2005)
- Aims for BT2:
 - Include *colour* information
 - Improve treatment of *short time-scales*
 - Merge models



Rotational modulation

(Lanza et al. 2003, 2004, 2005 in prep.)

$$\Delta F(t, \lambda) = \sum_{k; \mu_k > 0} \mu_k A_k I_{\text{unp}}(\lambda, \mu_k) [c_s(\lambda) + Q c_{\text{fac}}(\lambda, \mu_k)]$$

$\Delta F(t, \lambda)$ = disk-integrated relative flux variations

μ_k = projection factor

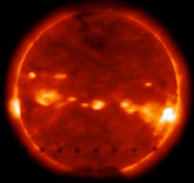
A_k = active region area (as a fraction of stellar disk)

$I_{\text{unp}}(\lambda, \mu_k)$ = specific intensity of unperturbed photosphere
(Kurucz model atmospheres + quadratic limb darkening law)

$c_s(\lambda)$ = spot contrast factor = $B_\lambda(T_s)/B_\lambda(T_{\text{unp}}) - 1$ (black body approximation)

$c_{\text{fac}}(\lambda, \mu_k)$ = facular contrast factor = $c_f(\lambda)(1 - \mu)$ (brightest at limb)

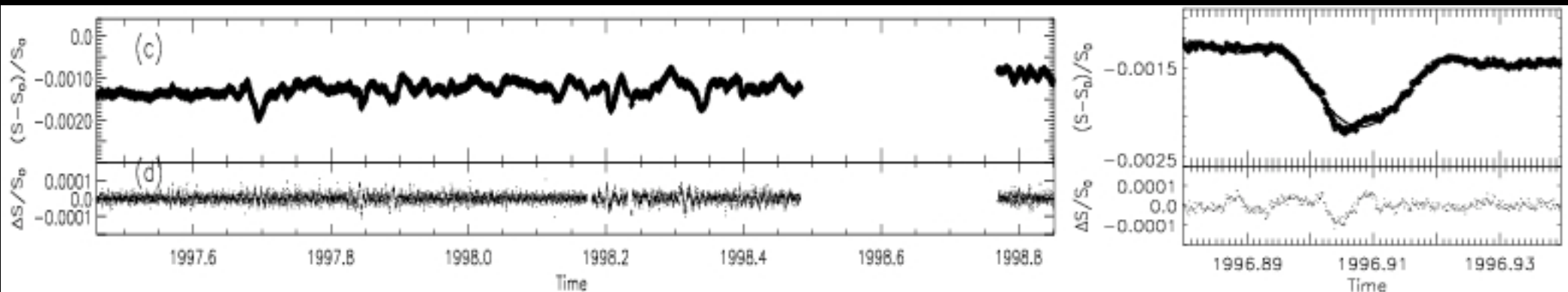
Q = ratio of facular to cool spot area

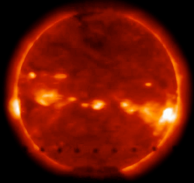


Rotational modulation

(Lanza et al. 2003, 2004, 2005 in prep.)

- Simultaneously fit solar 4-band solar irradiance data from VIRGO:
 - TSI - bolometric and 3 narrow SPM channels (402, 500, 862 nm)
- Use three active regions + uniform background (uniform distribution of small active regions)
- Adjust each region's position and area every 7 days based on 14 days of data
- Residuals 20 to 30 times smaller than solar variations

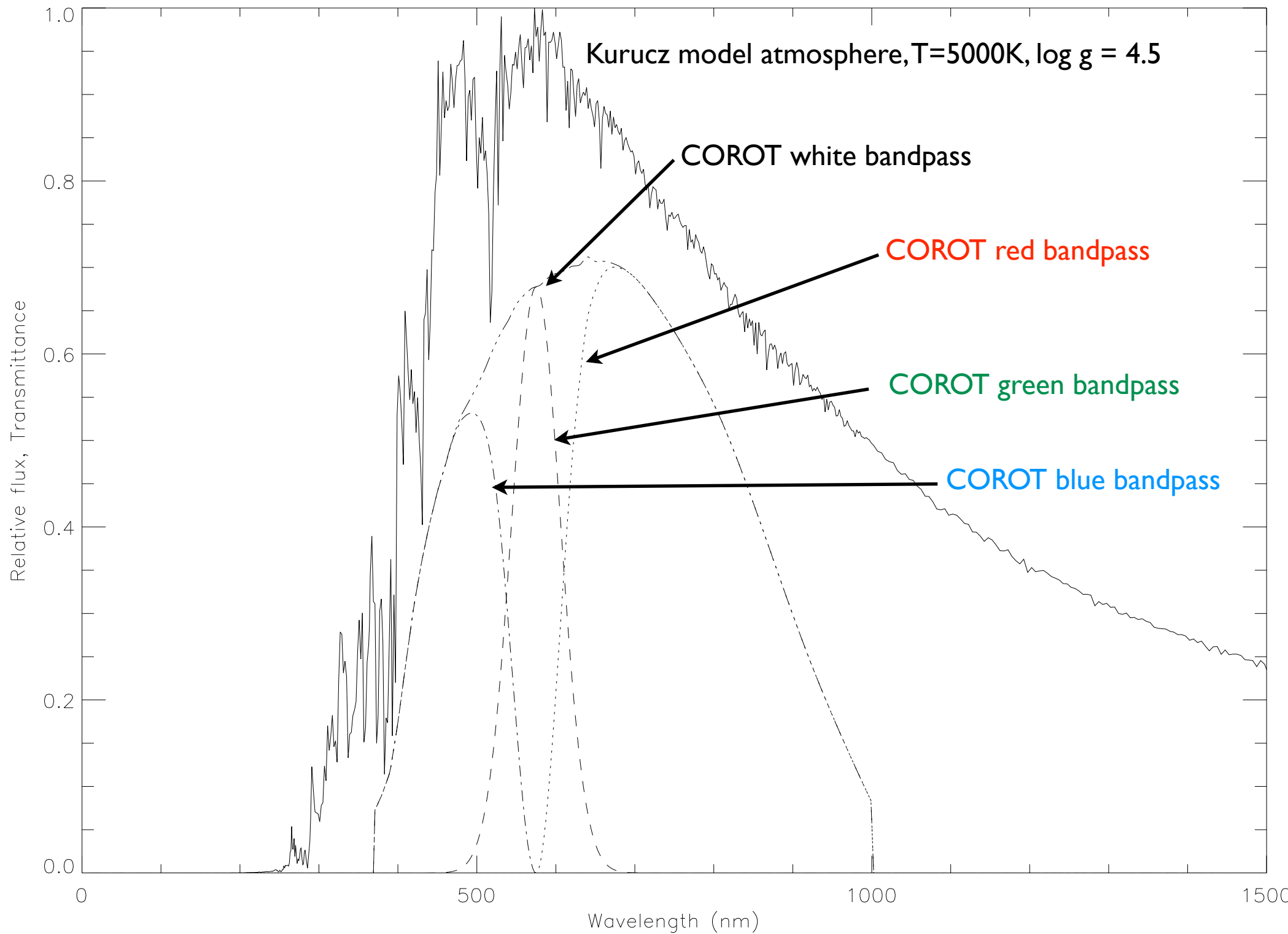




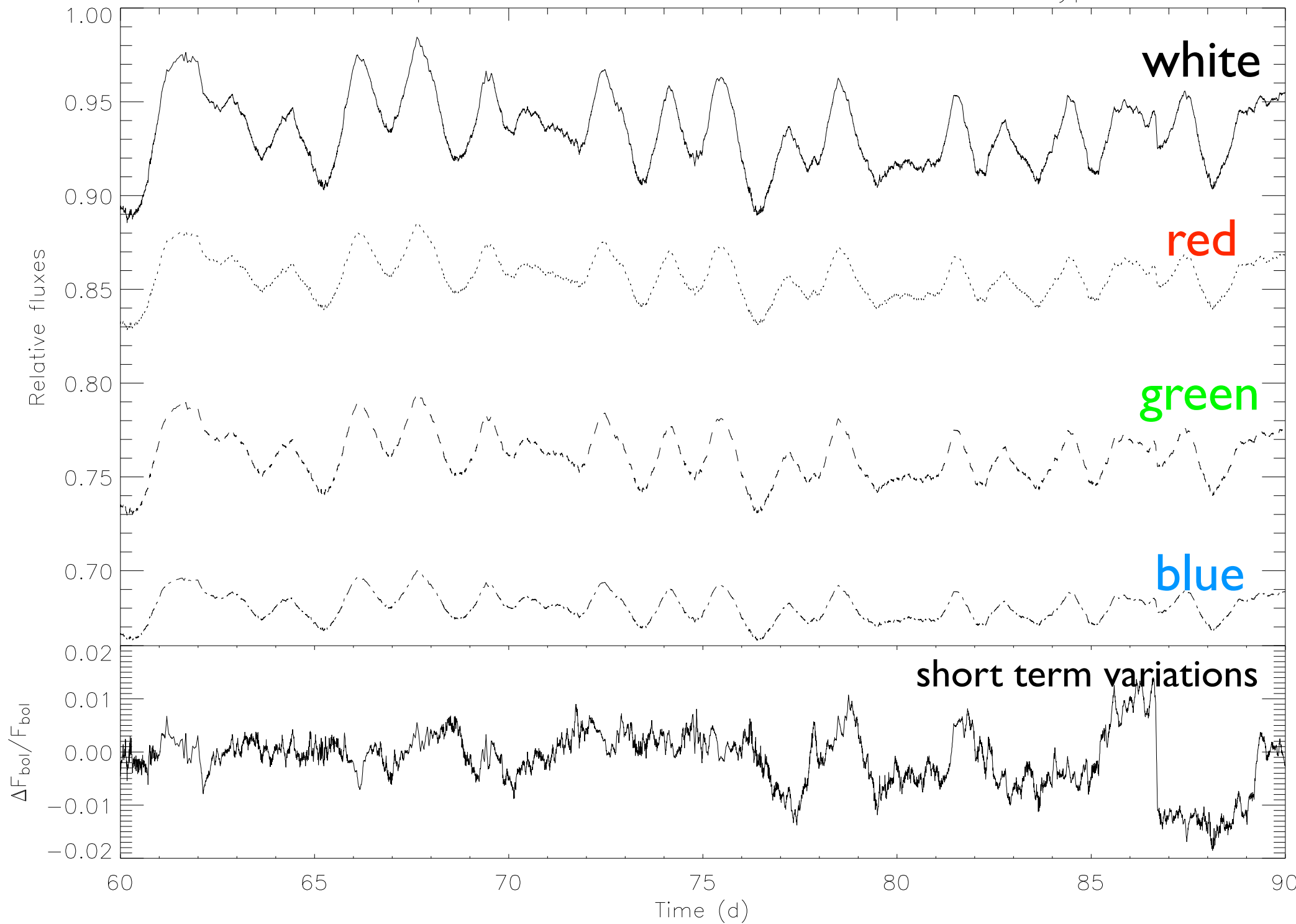
Rotational modulation

(Lanza et al. 2003, 2004, 2005 in prep.)

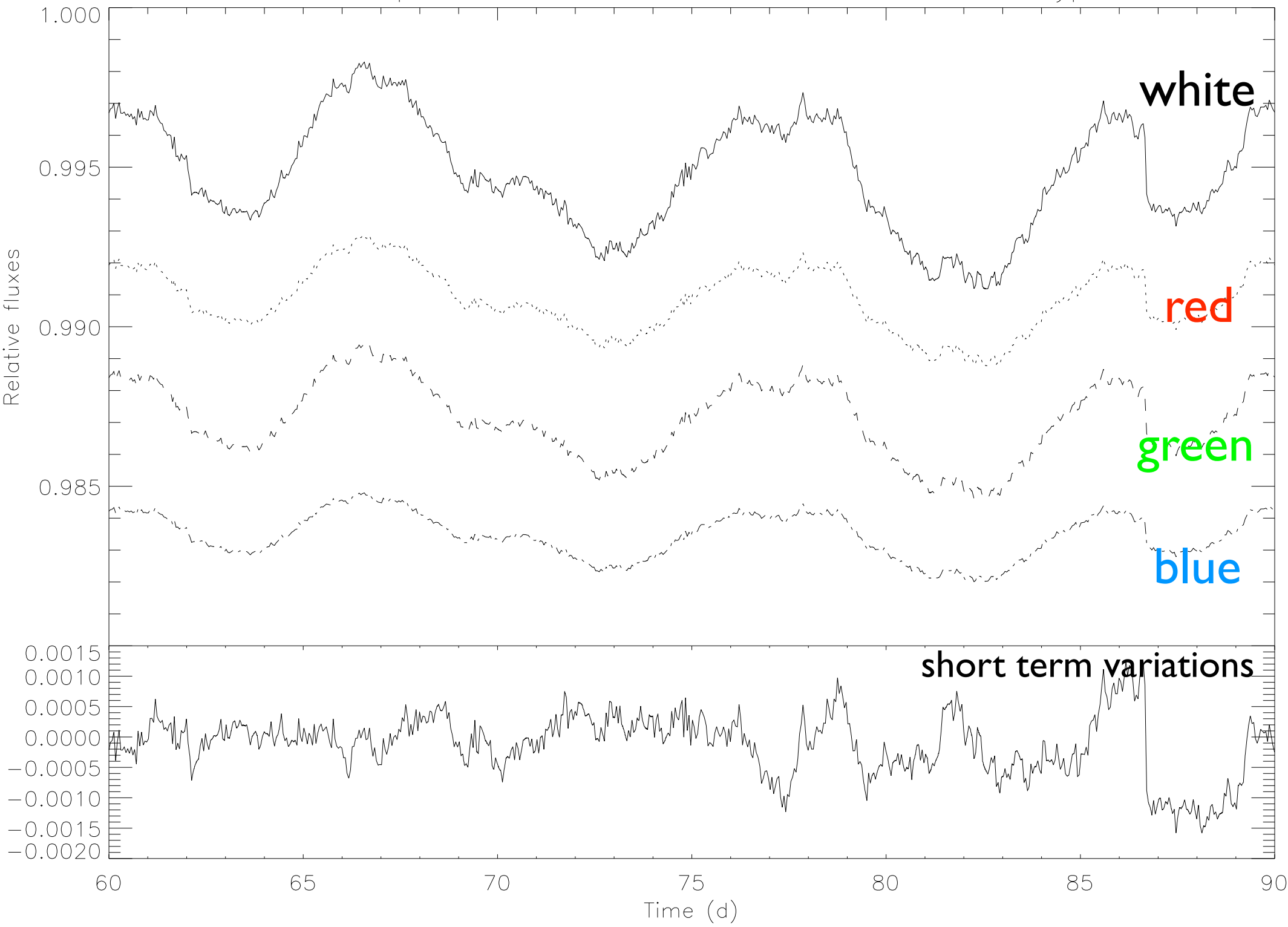
- Extrapolate fit to solar data to simulate light curves for a range of stars
 - $P = 3, 10, 20$ d
 - $T = 4000, 5000, 6000, 7000$ K
 - $\log g = 4.5$ cm/s², microturbulence 2 km/s, ML / pressure scale height = 1.25
- Scale active regions area with rotation period (Messina et al. 2003) as in BT I
- Multiply all wavelength dependent quantities by bandpass profile and integrate
- Two hypotheses for relative contribution of faculae:
 - Decreases strongly with decreasing rotation period (Chapman et al. 1997, Solanki & Unruh 2004)
 - Constant at $Q = 5$
- Two options for short term variations:
 - scale residuals of solar fit by 3 times area scaling factor (as in BT I)
 - leave out entirely

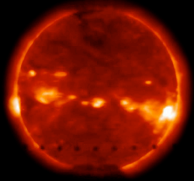


Main sequence star — $T_{\text{eff}} = 6000 \text{ K}$, $P_{\text{rot}} = 3 \text{ d}$, S-type



Main sequence star — $T_{\text{eff}} = 6000 \text{ K}$, $P_{\text{rot}} = 20 \text{ d}$, F-type

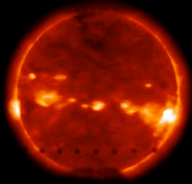




Stochastic variations

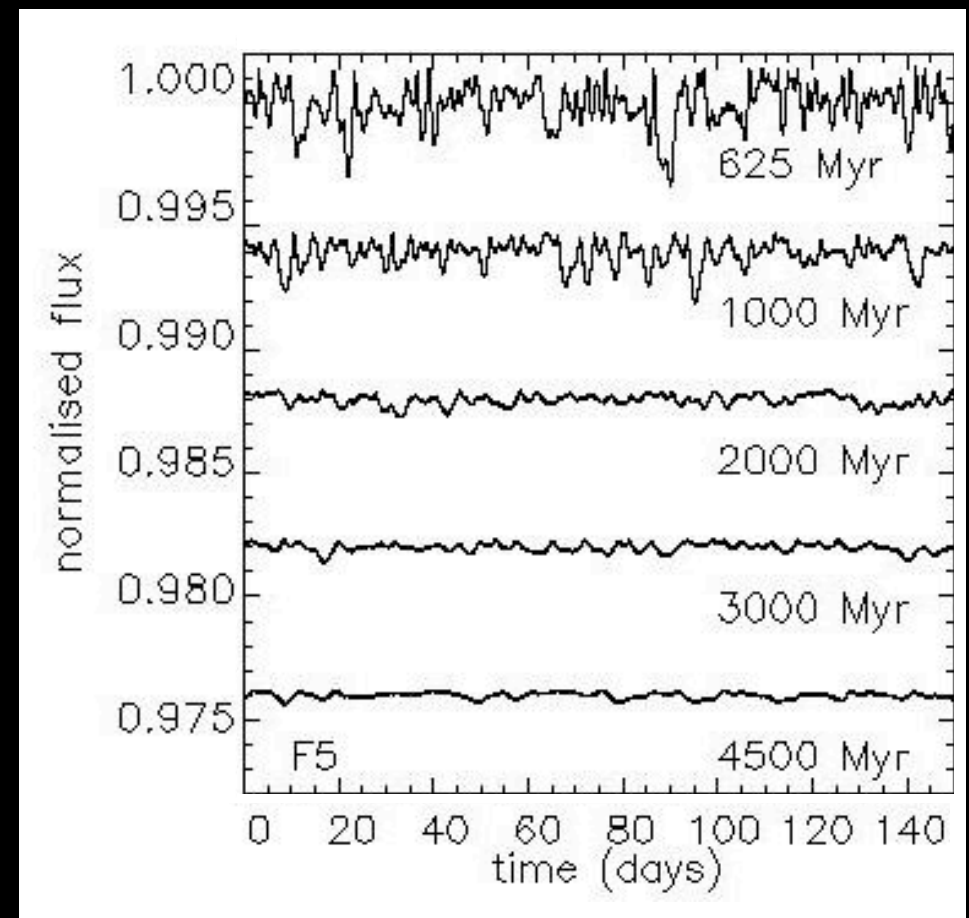
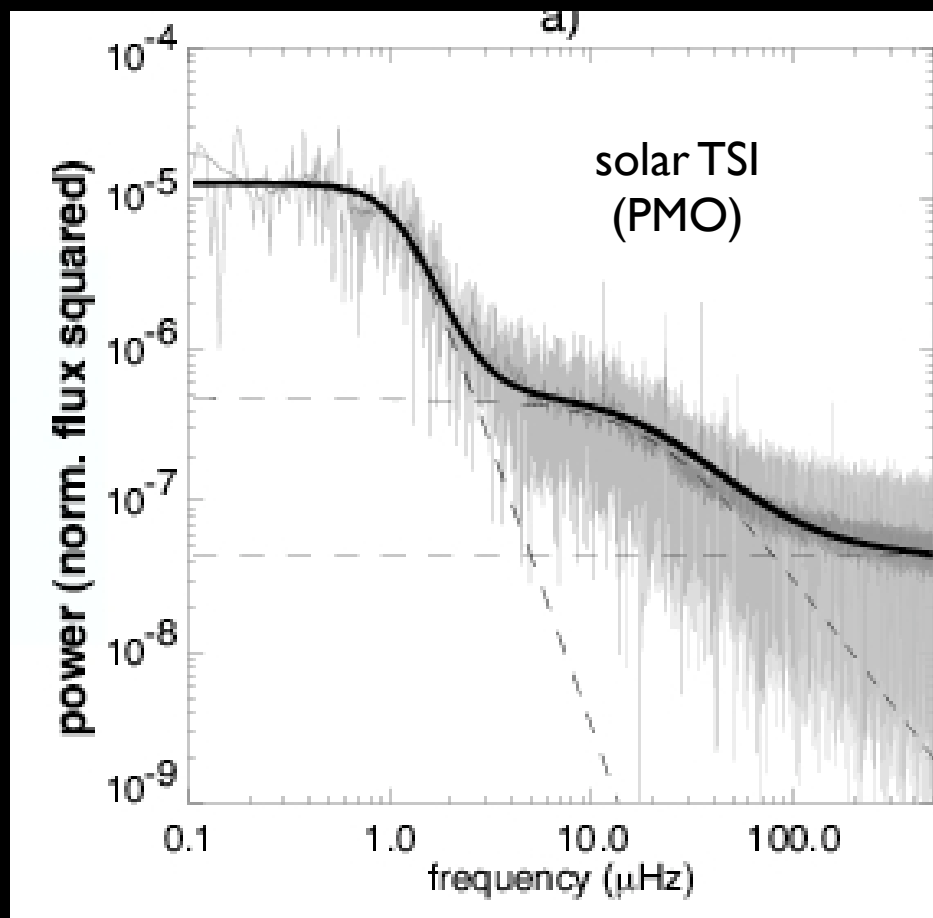
(Aigrain et al. 2004)

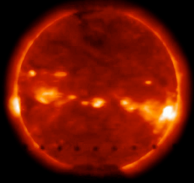
- power spectrum of solar TSI variations often modelled as sum of broken powerlaws (Harvey 1985)
- components = active regions, super-granulation (?), granulation
- follow component's evolution each throughout solar cycle:
AR amplitude \propto chromospheric activity
 - scale AR amplitude with age & SpT via P & chromospheric activity (Noyes et al. 1984)
 - scale AR timescale with P for short P
- higher frequency components left as in the Sun
- revert to time domain using randomly generated phase array



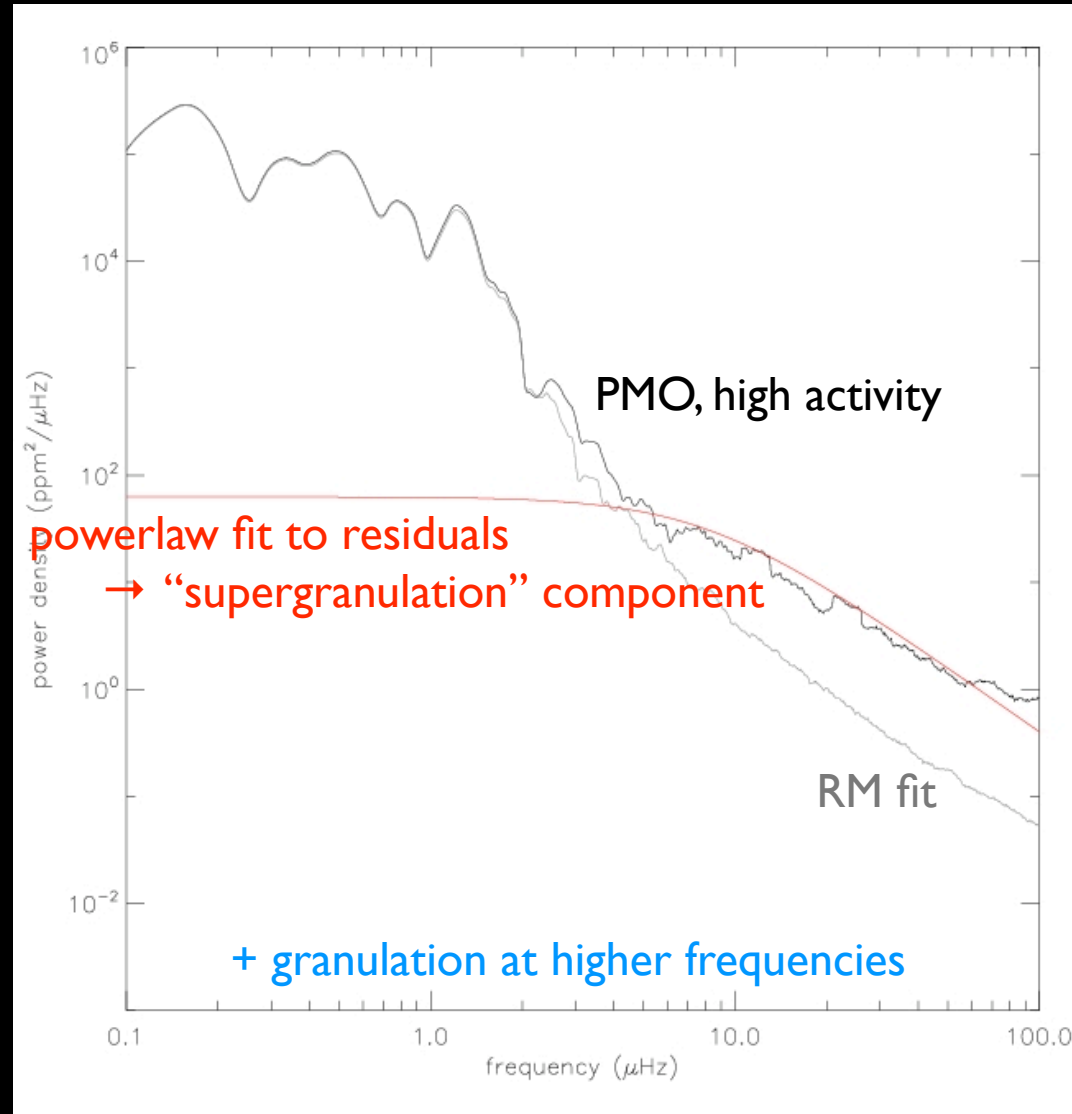
Stochastic variations

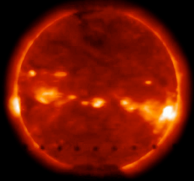
(Aigrain et al. 2004)



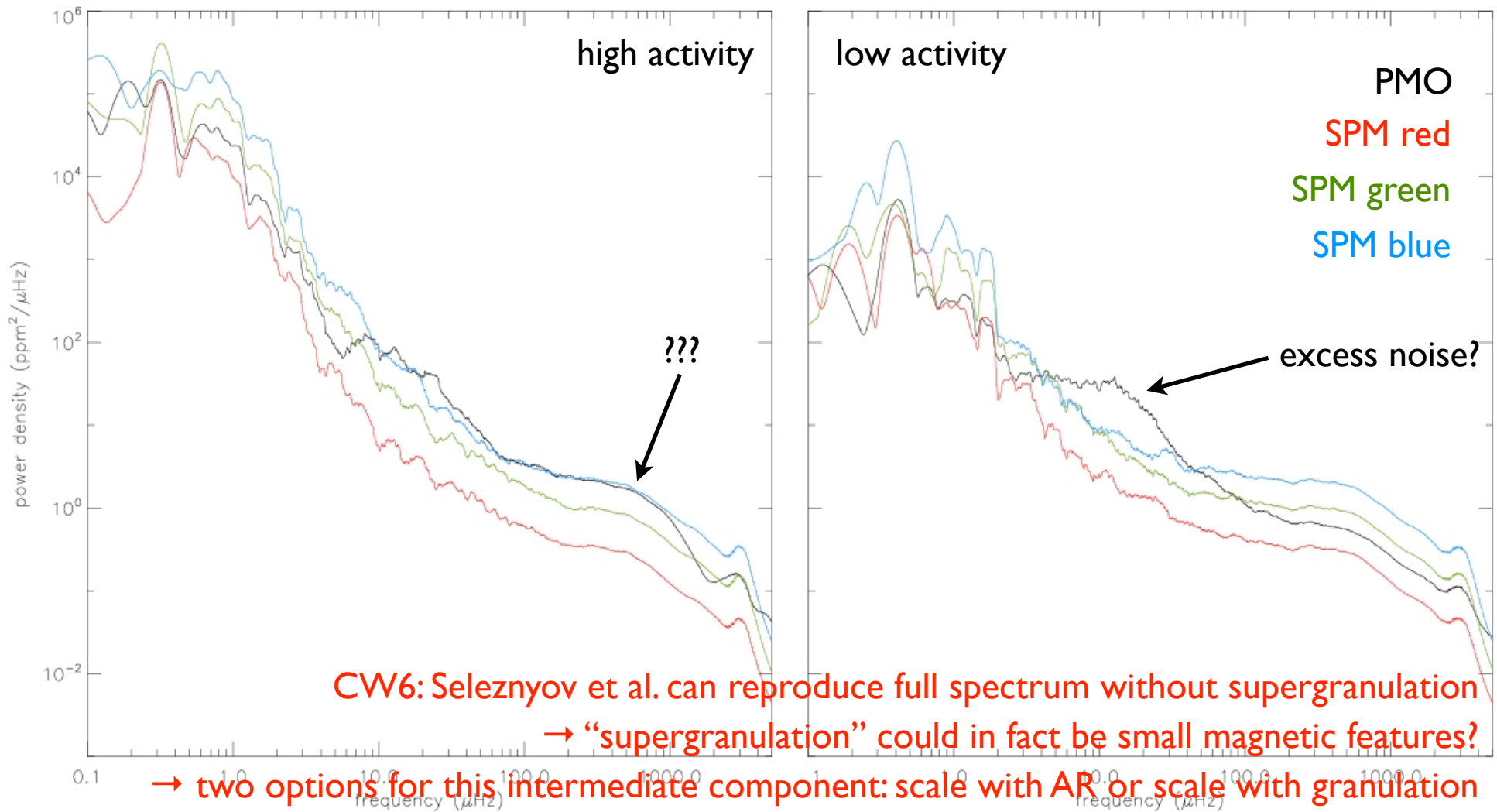


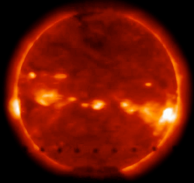
Complementing the RM model





Is it really supergranulation?



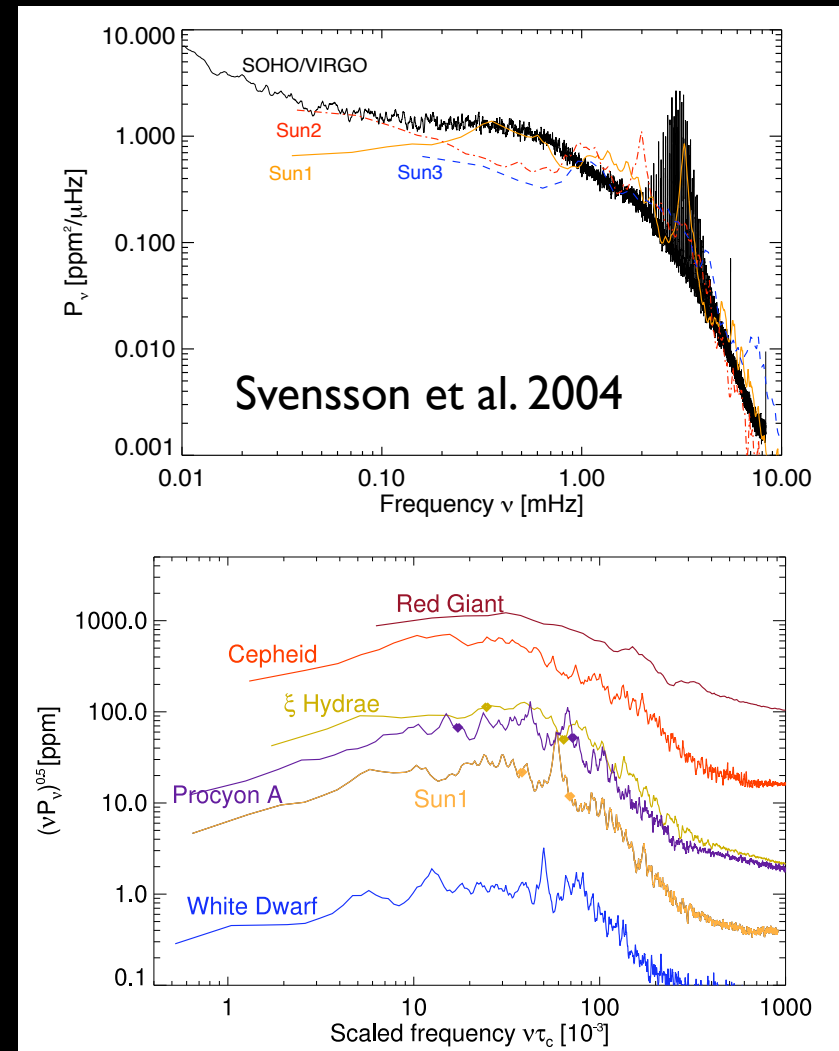


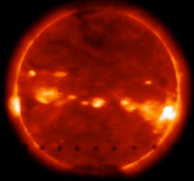
constraints on granulation

- recent modelling (Freytag et al. 2001, Seleznyov et al. at CW6, Svensson et al. 2004)
 - $\log P_{gr} \propto -\frac{1}{2} \log N_{gr} \propto \frac{1}{2} \log X_{gr} \propto -\frac{1}{2} \log g$
 - temperature dependence
 - metallicity dependence
- observational constraints
 - RV: Kjeldsen et al. (1999):
 $P_{gr}(\alpha\text{Cen, G2V}) \approx P_{gr}(\text{Sun})$
 - WIRE: Bruntt et al. (2005):
 $P_{gr}(\text{Procyon, F5IV}) \approx 1.8 \pm 0.3 \times P_{gr}(\text{Sun})$
 - MOST: constraints so far elusive

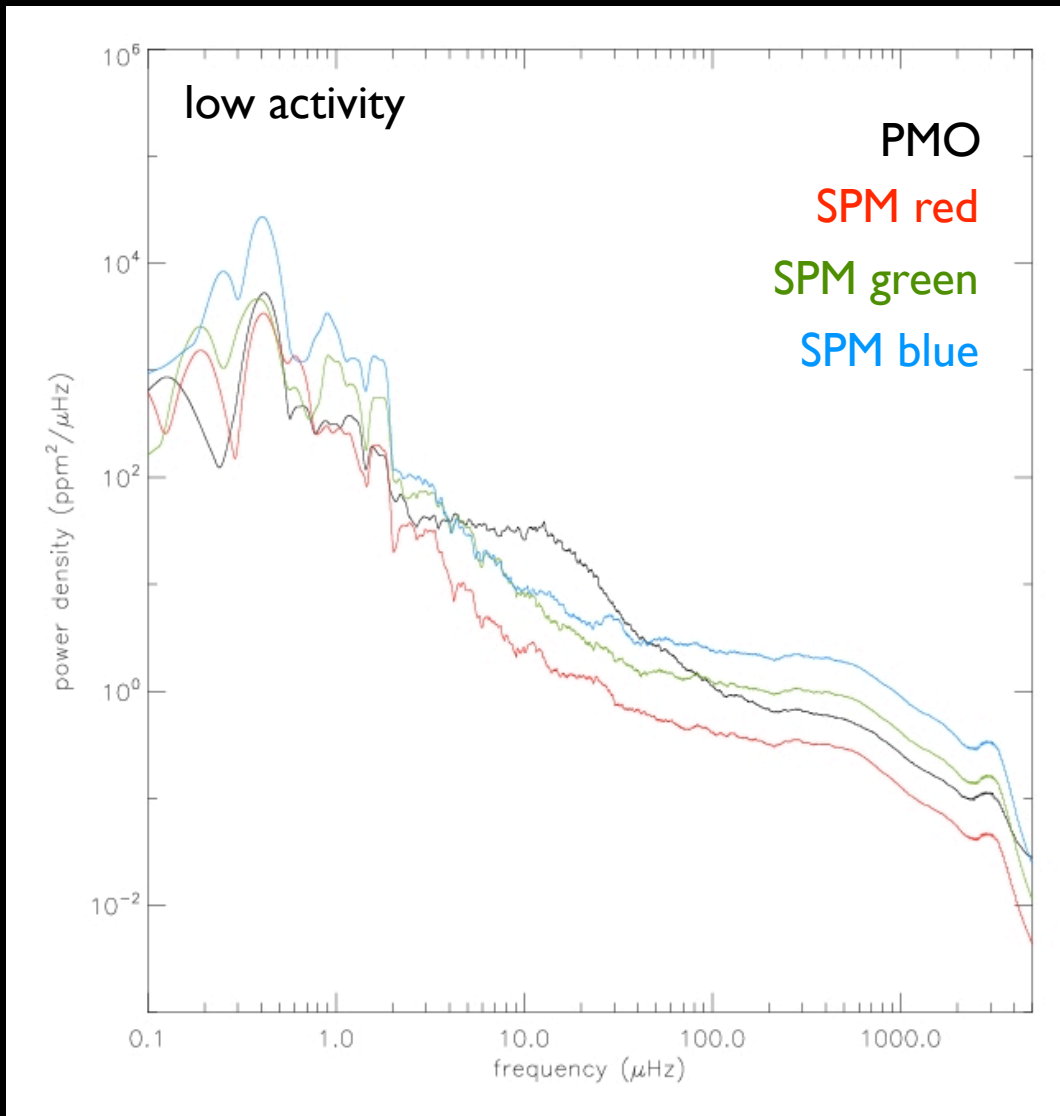
all constraints so far consistent with

$$P_{gr}^2 \propto -\log g + 3 \log T_{\text{eff}}$$

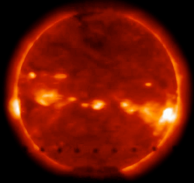




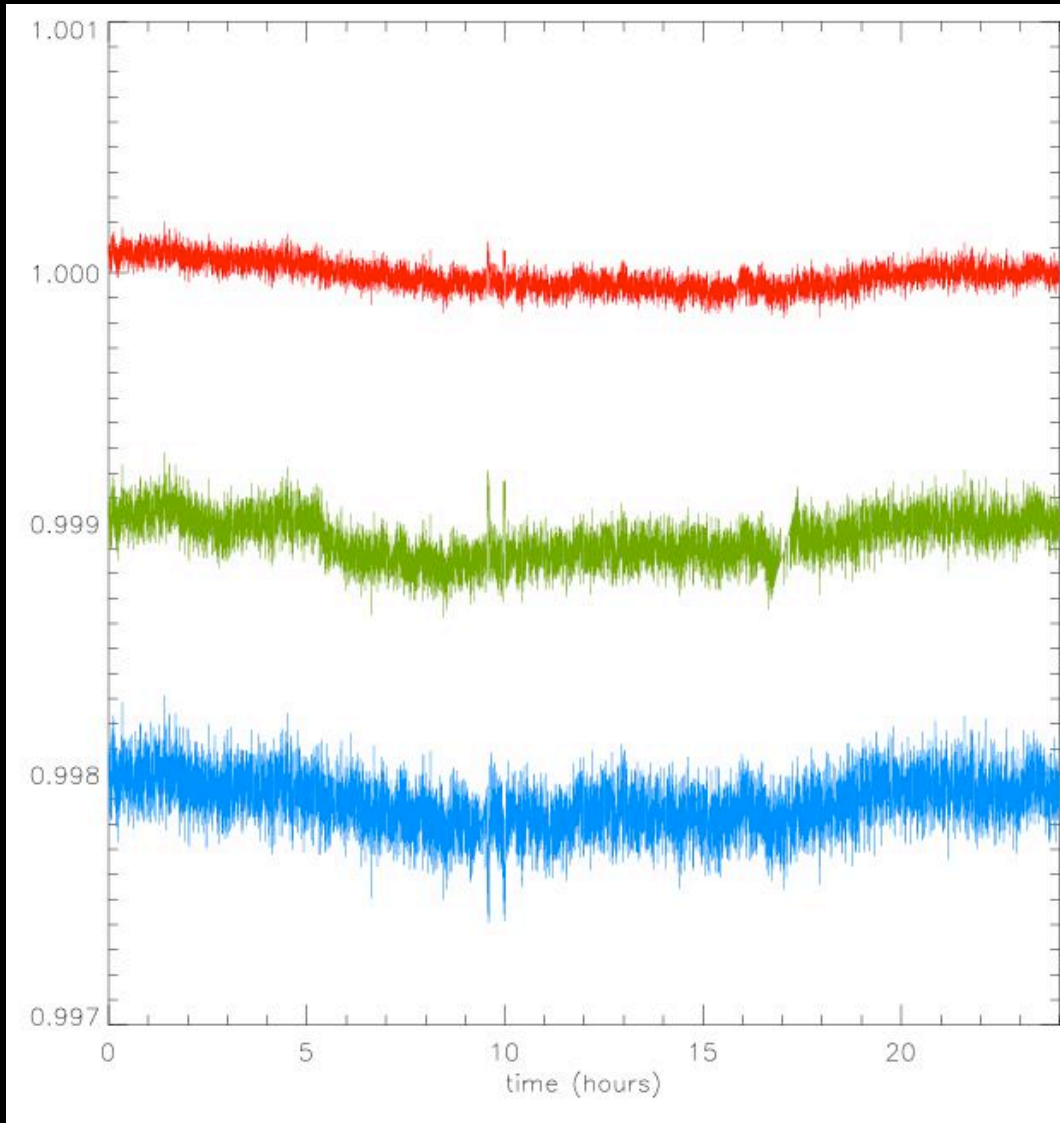
colour versus frequency



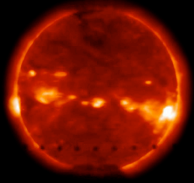
- no significant trends with frequency in the relative amplitude of variations between different SPM channels
- colour dependence follows that of low frequency components
- correlation between band passes at all frequencies
- confirmed by work of P. Bordé for wide spectral range



colour versus frequency

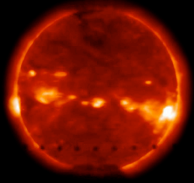


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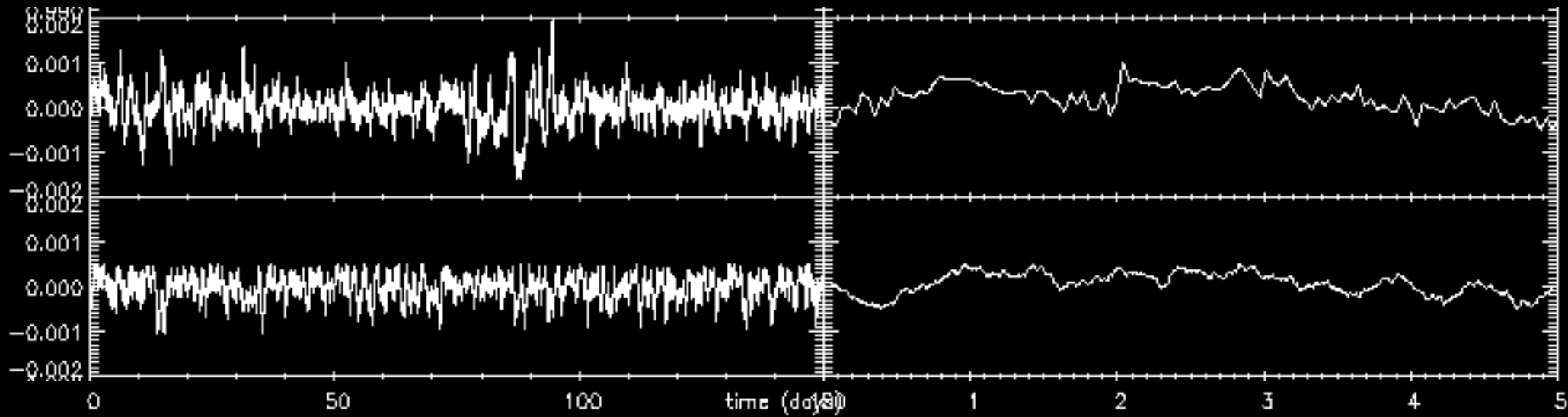


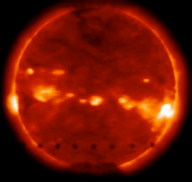
Complementing the RM model

- took the 12 RM only light curves simulated by Nuccio
- measured rms of white light curve cf. solar case (1)
- measured rms of coloured cf. white (2)
- computed amplitude of granulation component from $\log g$ and T_{eff} , cf. solar case (3)
- added hours timescale component scaled either as active regions (1) or granulation (3)
- scaled colours following (2)



Complementing the RM model





conclusions

- Colour information has been included
- What constraints are available on high frequency components have been included
- Combined light curves are available
 - → All set to produce light curves for a BT2
- Future work
 - Improve AR component of my model (add gaussian)
 - Improve understanding of “supergranulation” component?
 - check on colour dependence using SORCE data